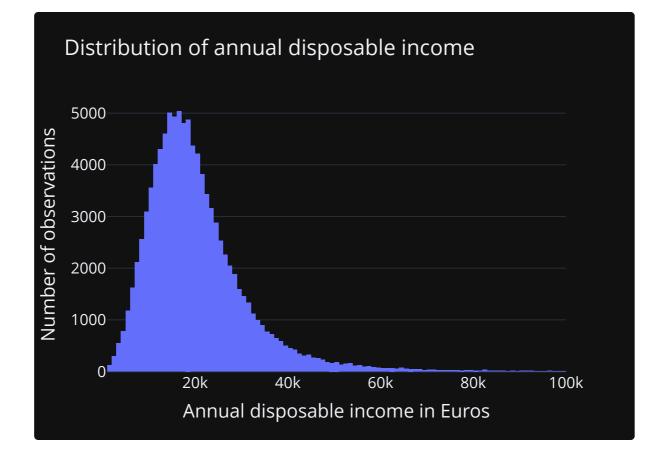
Applied Data Analytics

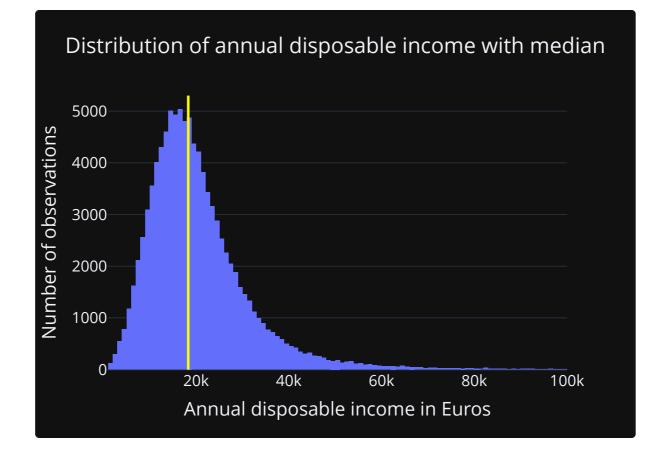
Statistics — Basics & location

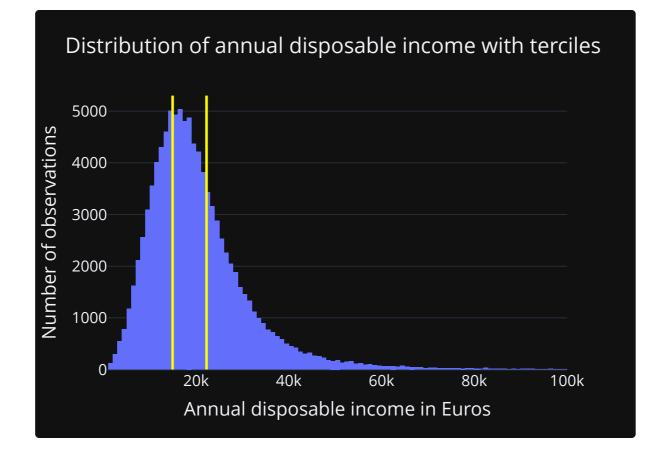
Quantiles

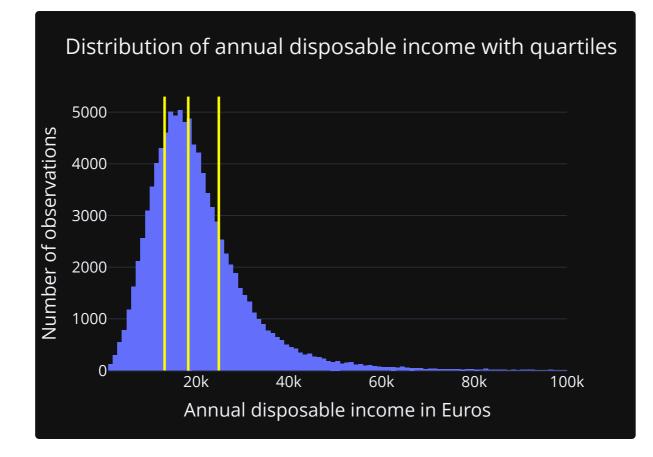
Hans-Martin von Gaudecker and Aapo Stenhammar

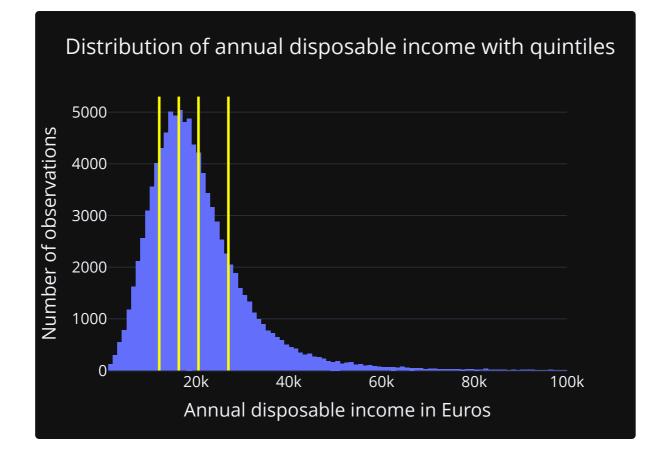
- Median divides the data into two halves
- Terciles divide the data into three equally sized bins
- Quartiles divide the data into four equally sized bins
- Quintiles divide the data into five equally sized bins
- Deciles divide the data into ten equally sized bins
- Percentiles divide the data into one hundred equally sized bins

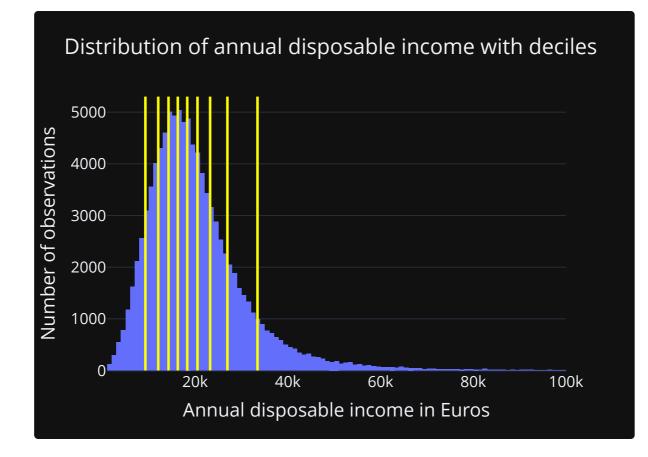


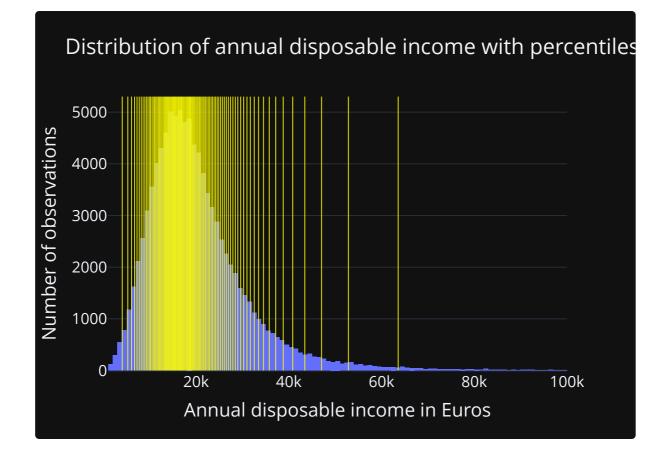












$\textbf{Quantile} \in [0,1]$

The q-th quantile of a distribution is the value x such that:

- 1. A fraction q of the data is less than or equal to x.
- 2. A fraction 1 q is greater than or equal to x.

Examples:

- The median is the 0.5 quantile.
- The 57th percentile is the 0.57 quantile.

Terminology often a bit loose

We often refer to things like "the top quartile", meaning all observations above the 3rd quartile / 0.75-quantile.

Another example: "Observations in the 90th percentile" would mean observations such that

 $q_{0.9} \leq x_i < q_{0.91}$

Hence, reference to bins instead of points.